

QUASAR

Quantum States: Analysis and
Realizations

Idea

QUASAR

efficient quantum computation and communication

→ significantly improved comprehension of the
underlying principles of quantum physics

→ **scalable analysis tools** to study the dynamics,
decoherence, as well as the applicability of
(large) quantum states

→ reliable and robust **quantum technology
components**

The main objectives of QUASAR are thus to

- apply foundational principles of quantum physics to identify **novel protocols** for quantum communication and to optimize the efficient usage of **quantum channels**, both in theory and experiment
- develop scalable methods for **quantum state analysis** and introduce application oriented witnesses with high statistical significance and robustness against experimental imperfections
- implement these methods to analyse the dynamics and their applicability for **quantum metrology** for different decoherence models and identify possible feedback protocols to adaptively optimize metrological tasks.
- develop a new approach for the production of highly integrated and reliable **waveguide quantum circuits** and implement photonic quantum logic operation for robust manipulation of high-dimensional multiqubit states and for quantum simulation tasks.

The main

- a novel pr efficient

- introduce significant

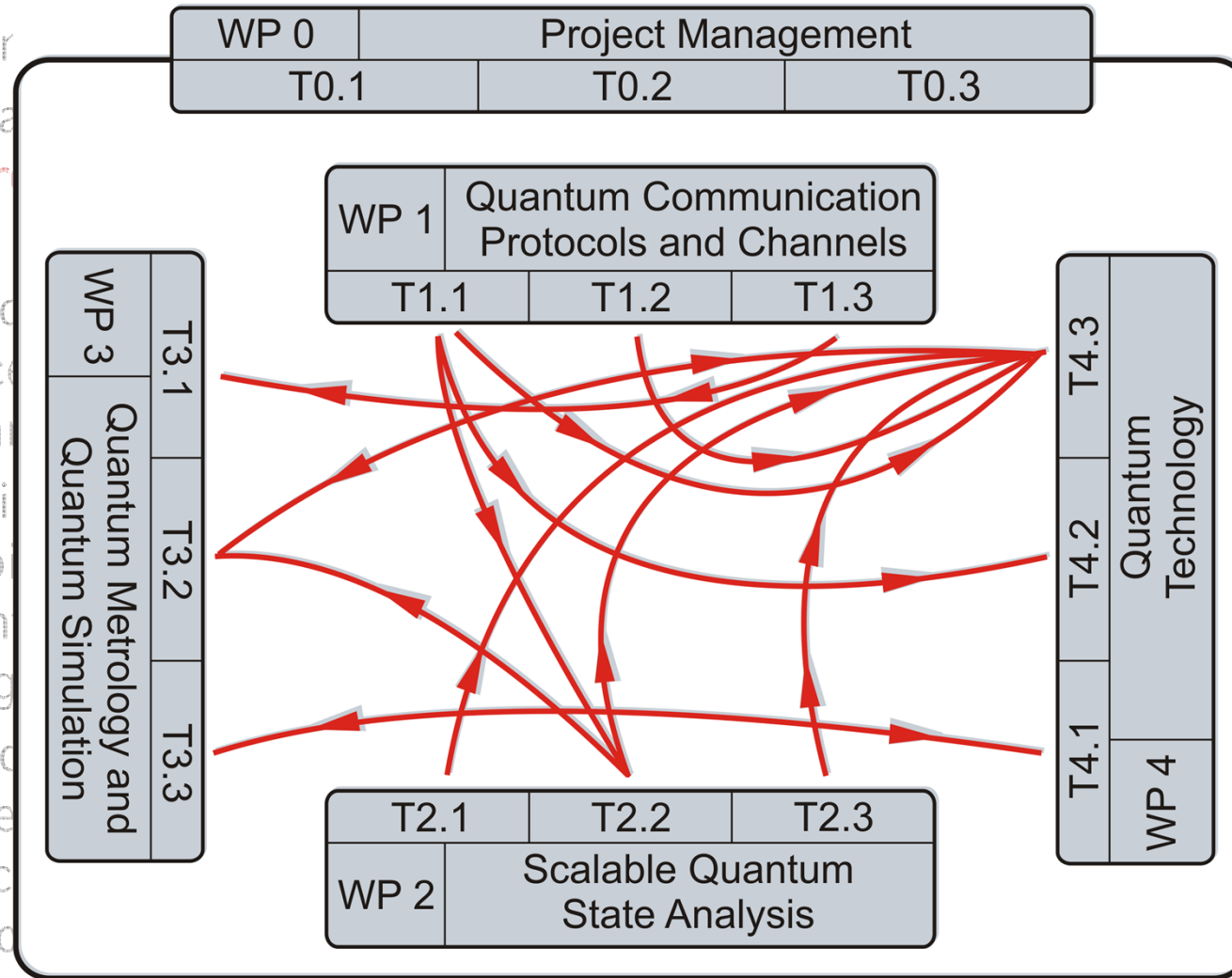
- applicable and identify metrolog

- integrate photonic dimension

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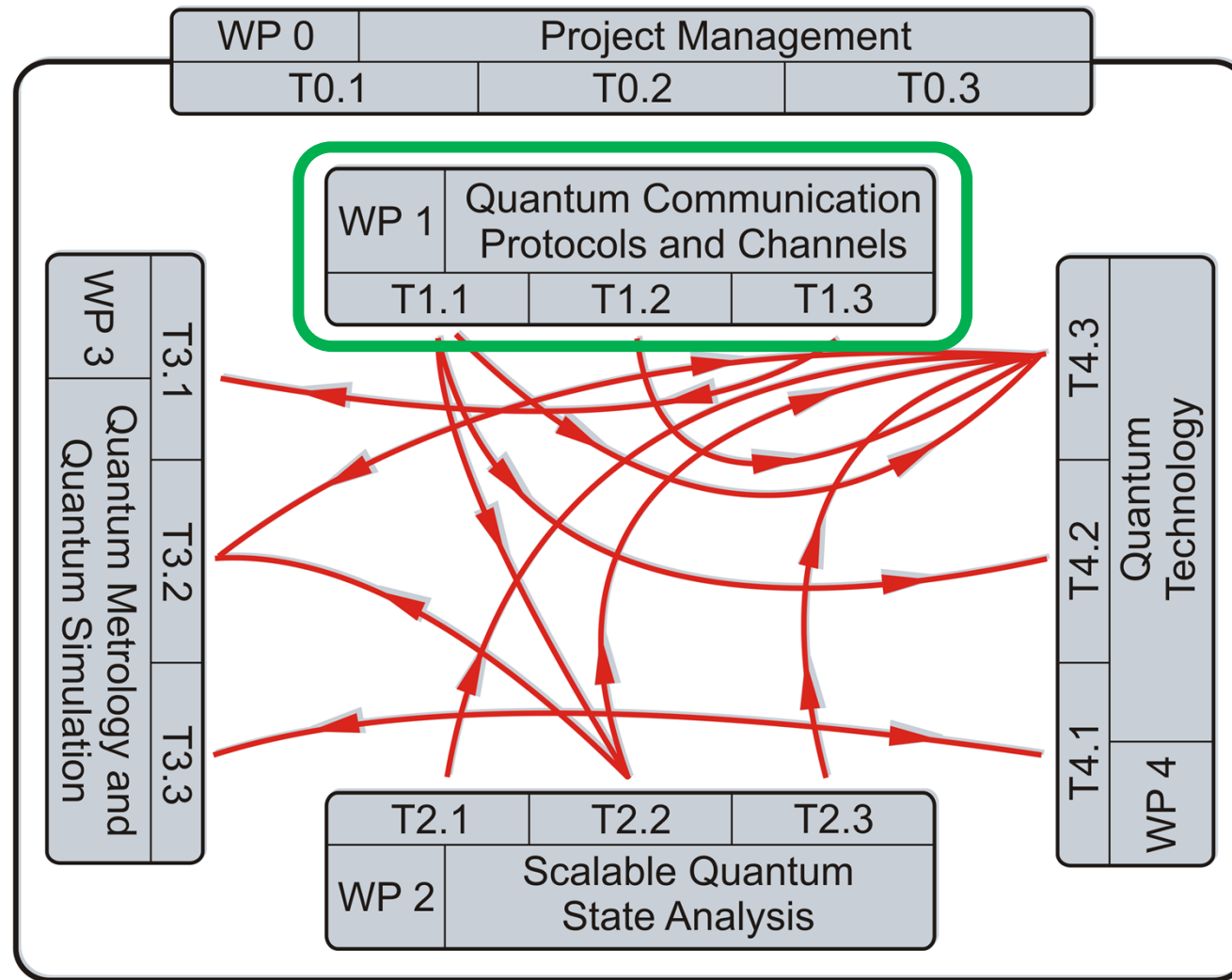


-  University of Munich
-  Austrian Academy of Sciences
-  Sapienza Università di Roma
-  OPTOTEC SpA
-  Warsaw University
-  University of Gdansk
-  University of the Basque Country
-  University of Siegen

project start: 1.1.2012, kick-off meeting 9.1.2012, duration 2 years

WP1 QC Protocols and Channels

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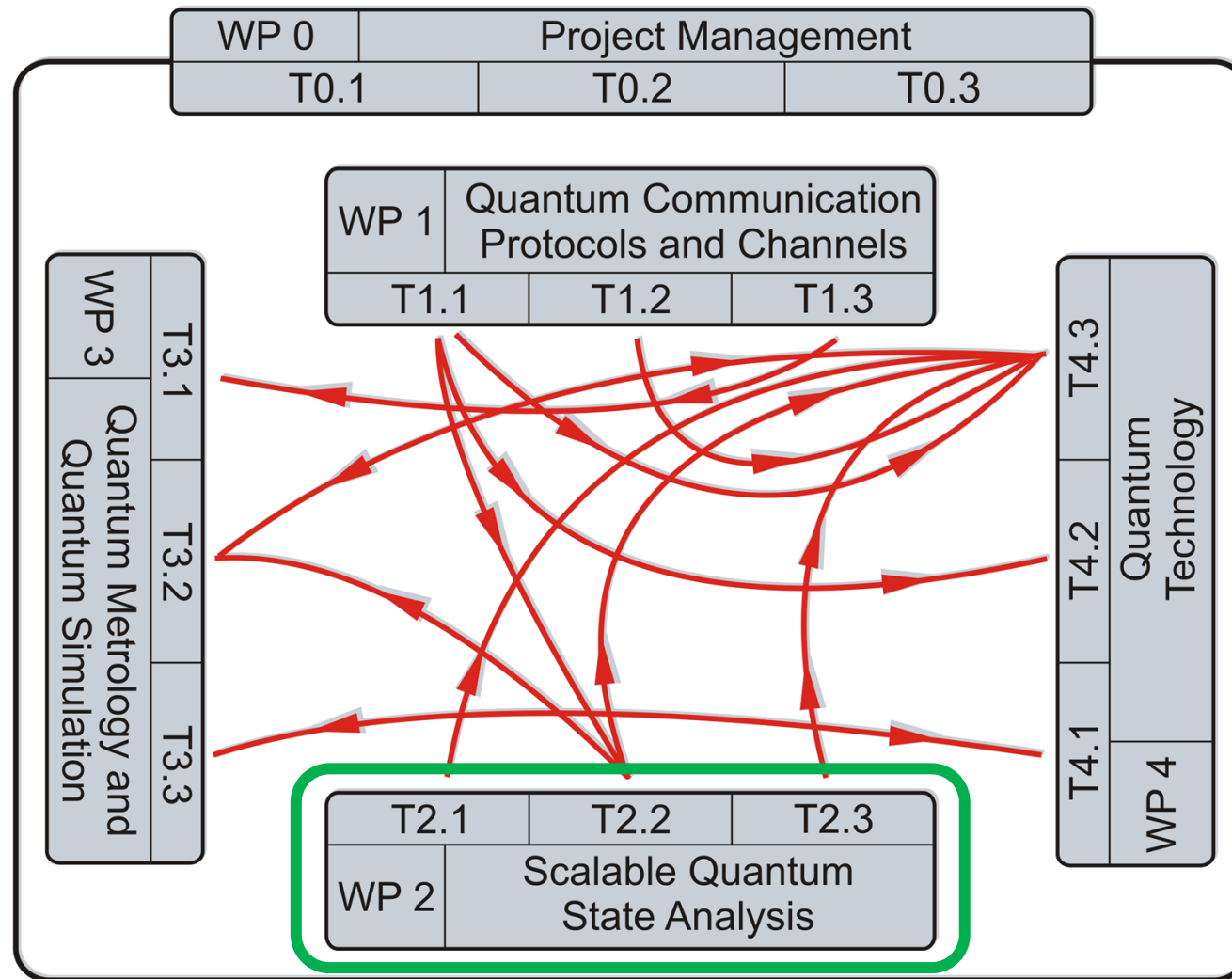
study **fundamental features**

→ design new quantum communication protocols and channels (LMU, UG, USI)

- Bell- and Kochen Spekker inequalities
 $\Leftrightarrow$ information processing (protocols/speed up)
- quantum channels (states/decoherence)

WP2 Scalable Quantum State Analysis

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efficient, scalable tools for state tomography
for determination of the applicability of quantum
states in specific tasks
(USI, UWAW, BILB, GD, LMU, UNIROMA1)

- scalable quantum state tomography
- application-based witness
- optimize witness for large statistical significance

- efficient state analysis n-qubits
 - state is element of subspace
 - subspace dimension $O(\text{poly}(n))$
MPS, permutationally invariant states
→ tomography in subspace with effort $O(\text{poly}(n))$
 - low rank states
 - compressed sensing
low rank states r
→ tomography with effort $r \cdot 2^n$

M. Cramer et al., Nat. Commun., **1** 149, (2010)
G. Toth, et al, PRL **105**, 250403 (2010)

- properties of PI-operators
 - can be decomposed into $\mathcal{L}_N$ local measurements

$$\mathcal{O} = \sum_j c_j A_j^{\otimes N} \quad \mathcal{L}_N = \frac{2}{3}N^3 + N^2 + \frac{4}{3}N$$

- density matrix is sum of correlation tensor elements

$$(X^{\otimes k} \otimes Y^{\otimes l} \otimes Z^{\otimes m} \otimes \mathbb{1}^{\otimes n})_{\text{PI}}$$

- can be evaluated using

$$\langle (X^{\otimes k} \otimes Y^{\otimes l} \otimes Z^{\otimes m} \otimes \mathbb{1}^{\otimes n})_{\text{PI}} \rangle = \sum_{j=1}^{\mathcal{D}_N} c_j^{(k,l,m)} \langle (A_j^{\otimes (N-n)} \otimes \mathbb{1}^{\otimes n})_{\text{PI}} \rangle$$

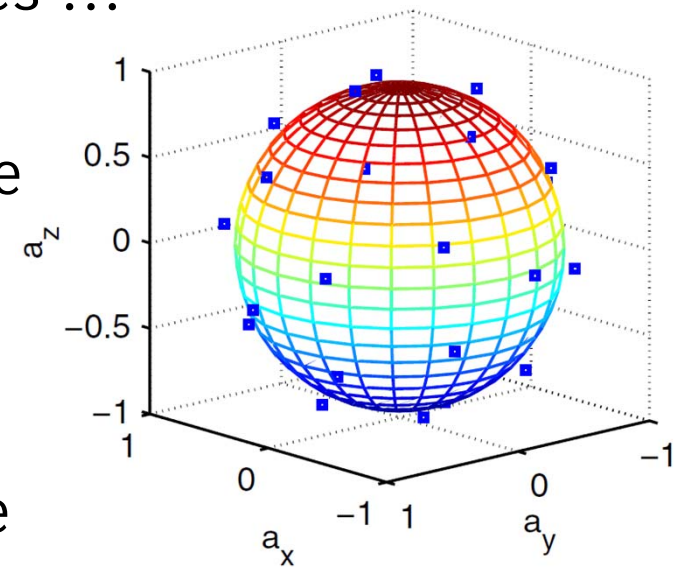
with only $\mathcal{D}_N = \binom{N+2}{N} = \frac{1}{2}(N^2 + 3N + 2)$ settings!

possible states: GHZ, W, Dicke, Singlets,
decoherence free states ...

- test, whether state is close to PI-state
→ measure $X^{\otimes 4}$, $Y^{\otimes 4}$, and $Z^{\otimes 4}$

- choose set of A_j and c_j ,
optimize, e.g., for minimum variance

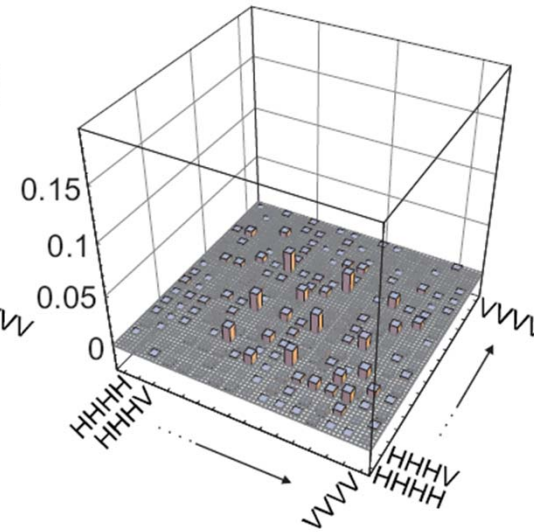
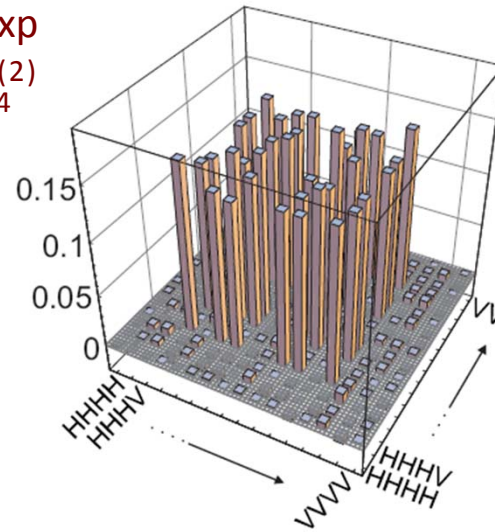
- need only $\mathcal{D}_N = \binom{N+2}{N} = \frac{1}{2}(N^2 + 3N + 2)$ settings!



PI-tomography

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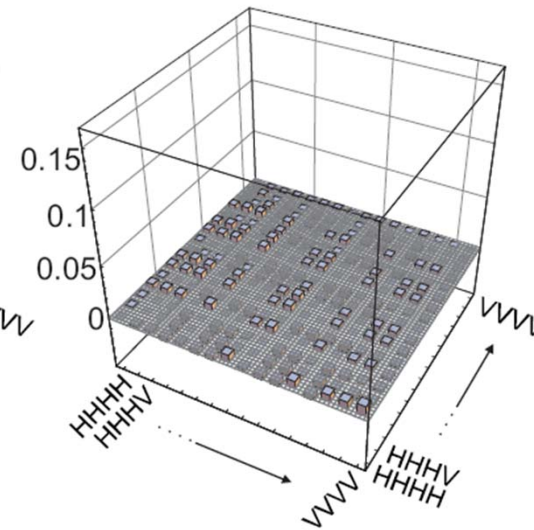
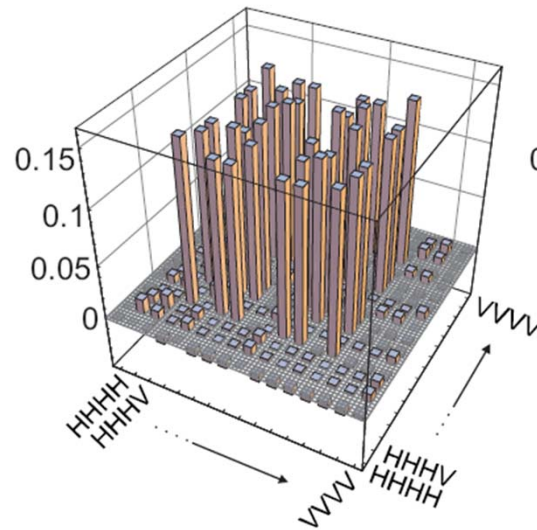
$\rho_{D_4^{(2)}}^{\text{exp}}$



81 settings

$$F_{D_4^{(2)}} = 0.873 \pm 0.005$$

ρ_{PI}^{exp}

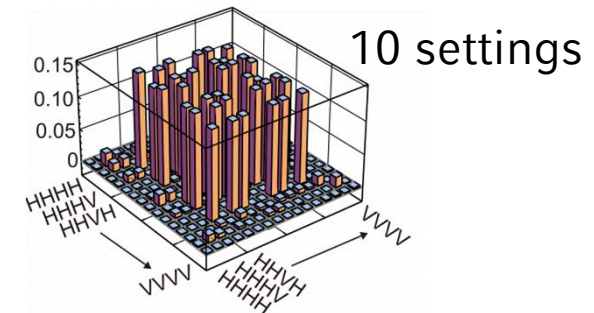
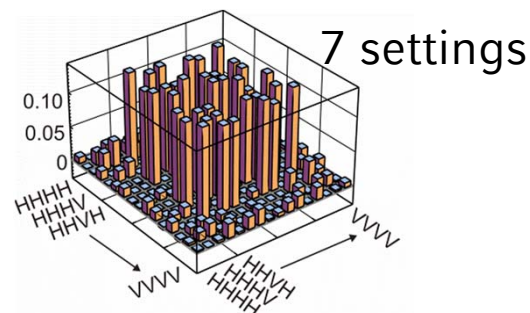
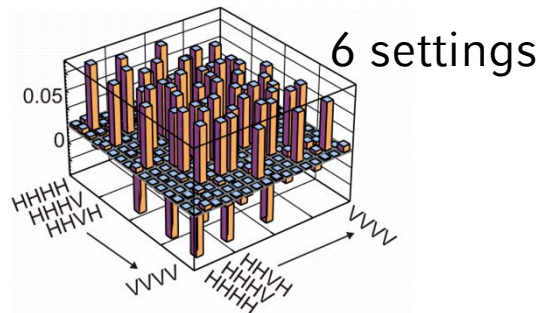


15 settings

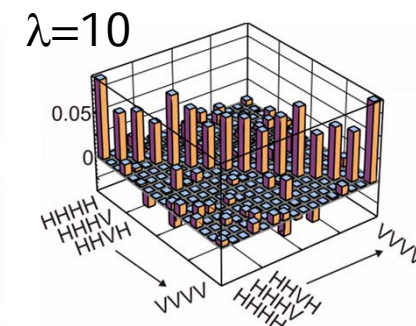
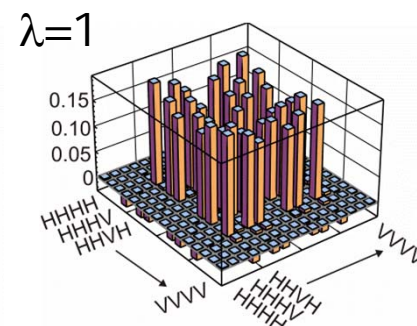
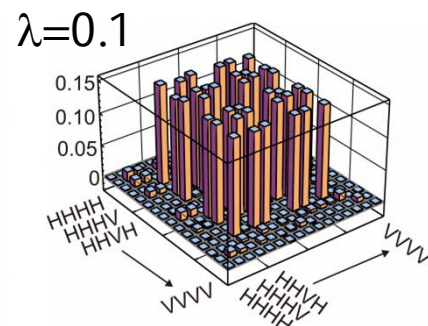
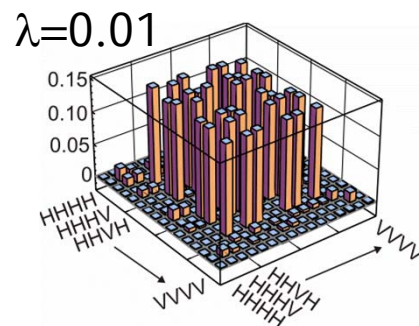
$$F_{D_4^{(2)}} = 0.852 \pm 0.009$$

$$F(\rho_{\text{full}}^{\text{exp}}, \rho_{PI}^{\text{exp}}) = 0.947 \text{ (max. 0.964)}$$

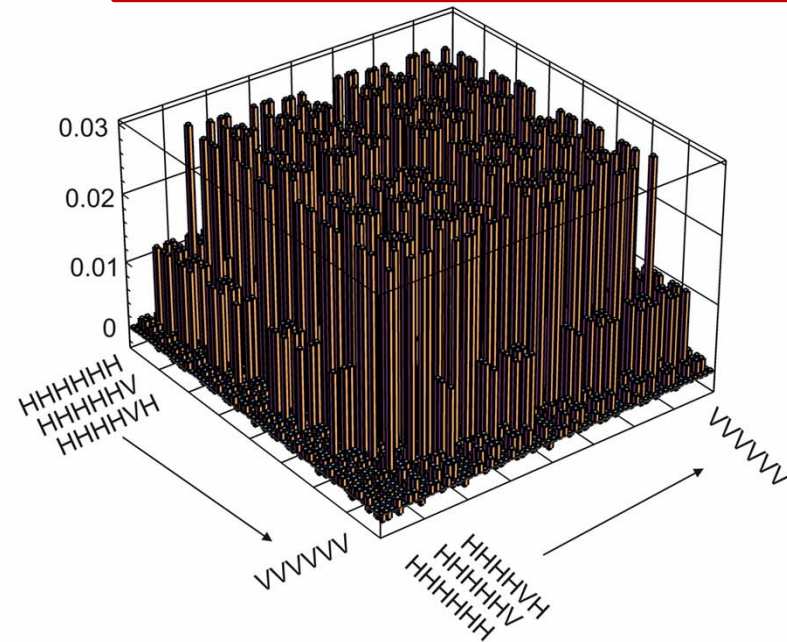
- approximation in respective subspace (noise?)
- CS: sensitivity to no. of settings and fitting parameters



L1 regularisation: $\min \left(\sum_k (Tr(\rho_{guess} P_k) - f_k)^2 - \lambda Tr(\rho_{guess}) \right)$



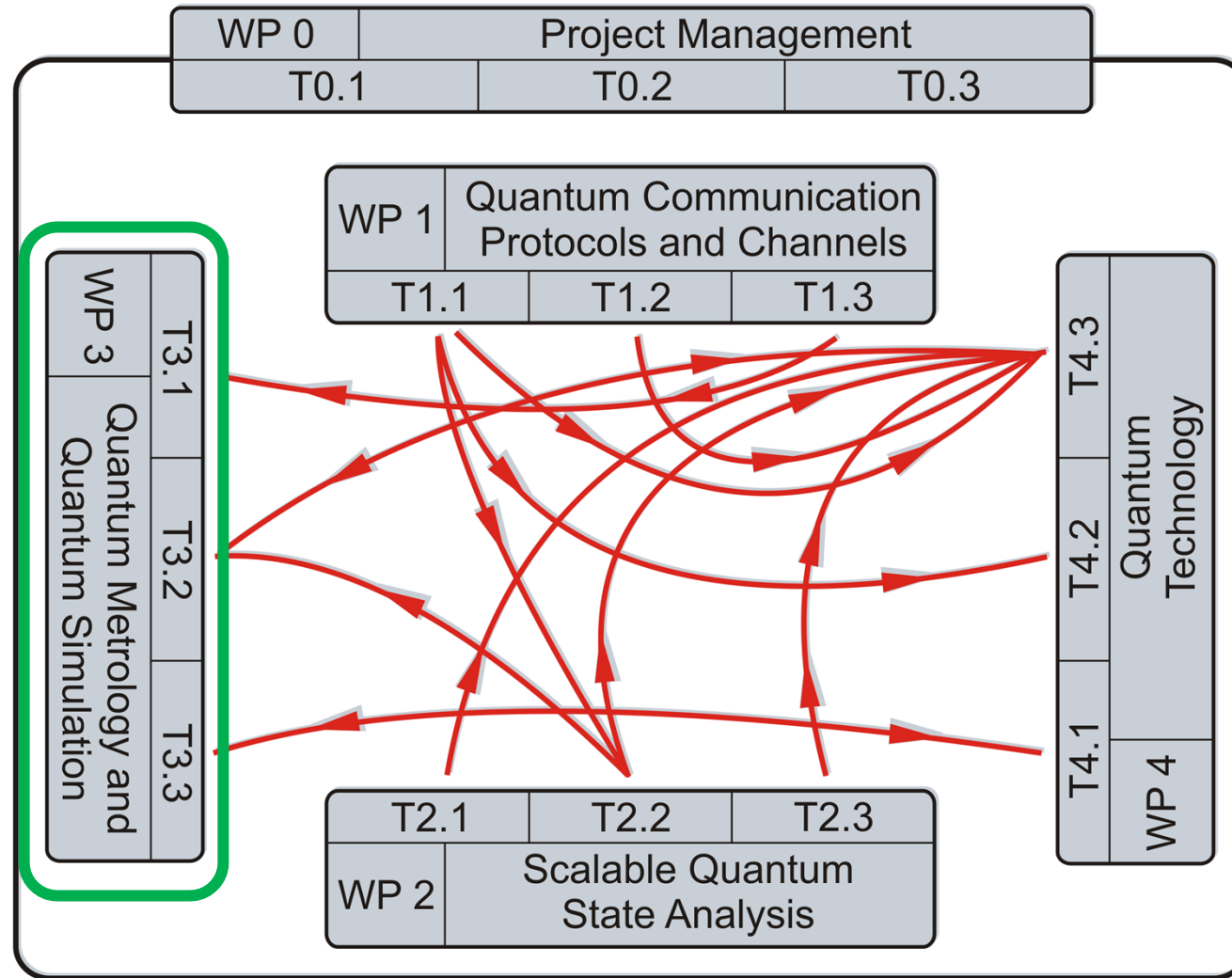
- combine PI + CS
- 2 settings for 4 qubit state !?!



$$\rho_{meas} = p \rho_{D_6^{(3)}} + (1-p) \left[\frac{4}{7} \rho_{D_6^{(3)}} + \frac{3}{14} \left(\rho_{D_6^{(2)}} + \rho_{D_6^{(4)}} \right) \right]$$

WP3 QU Metrology and Simulation

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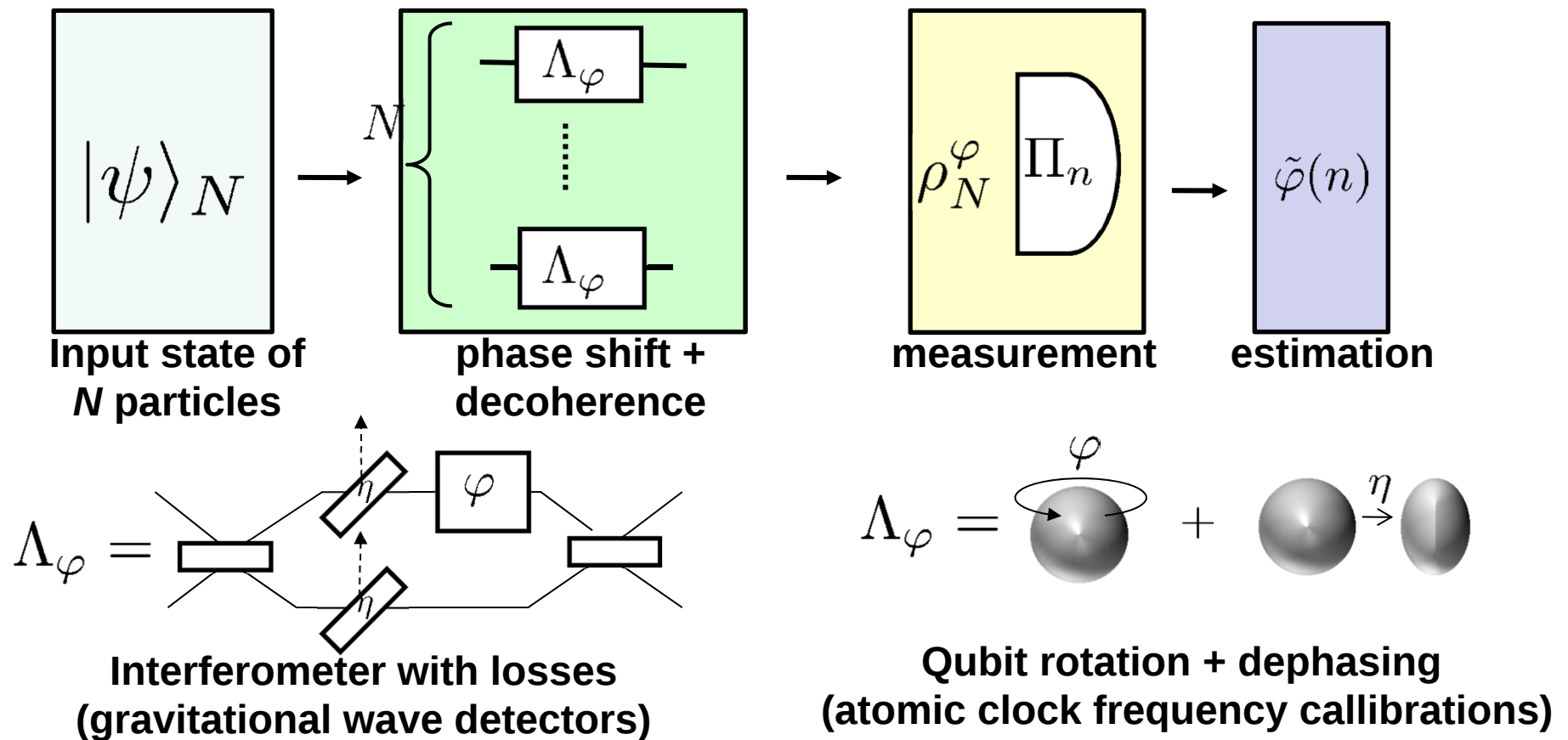


develop new methods for quantum metrology and quantum simulation

(UWAW, BILB, USI, OEAW, UNIROMA1)

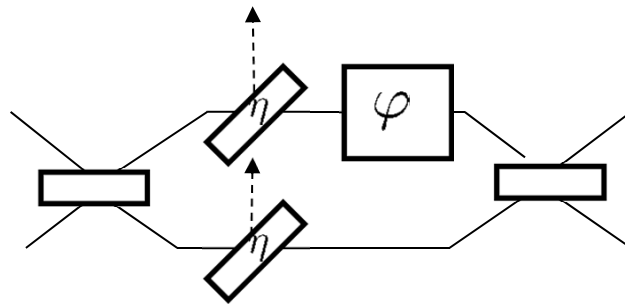
- Fundamental bounds on quantum precision enhancement due to decoherence
- Reconfigurable detection schemes and the role of feedback in quantum parameter estimation
- quantum logic networks for efficient simulation

- Fundamental bounds on quantum enhancement

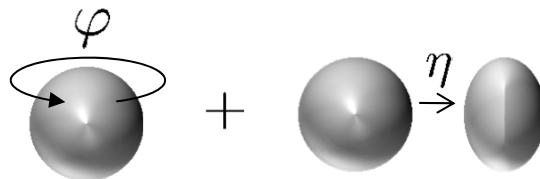


- Decoherence destroys Heisenberg scaling $\Delta\tilde{\varphi} \approx \frac{1}{N}$

→ In presence of decoherence:

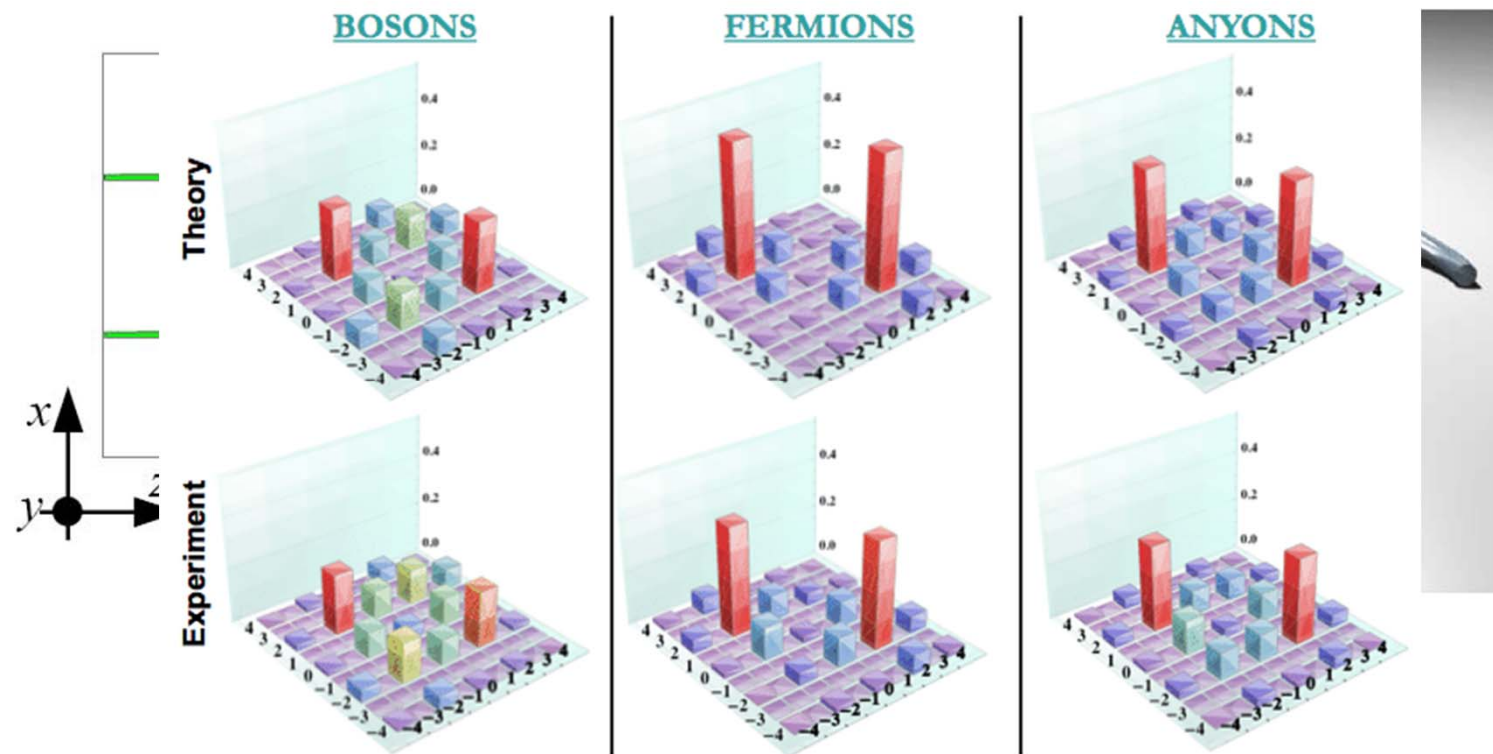


$$\Delta\tilde{\varphi} \geq \sqrt{\frac{1-\eta}{\eta}} \frac{1}{\sqrt{N}}$$

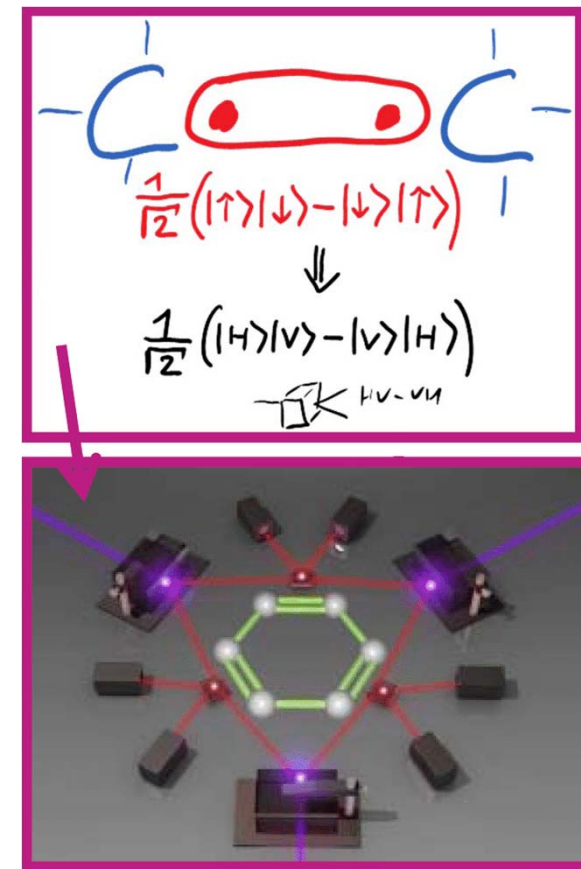
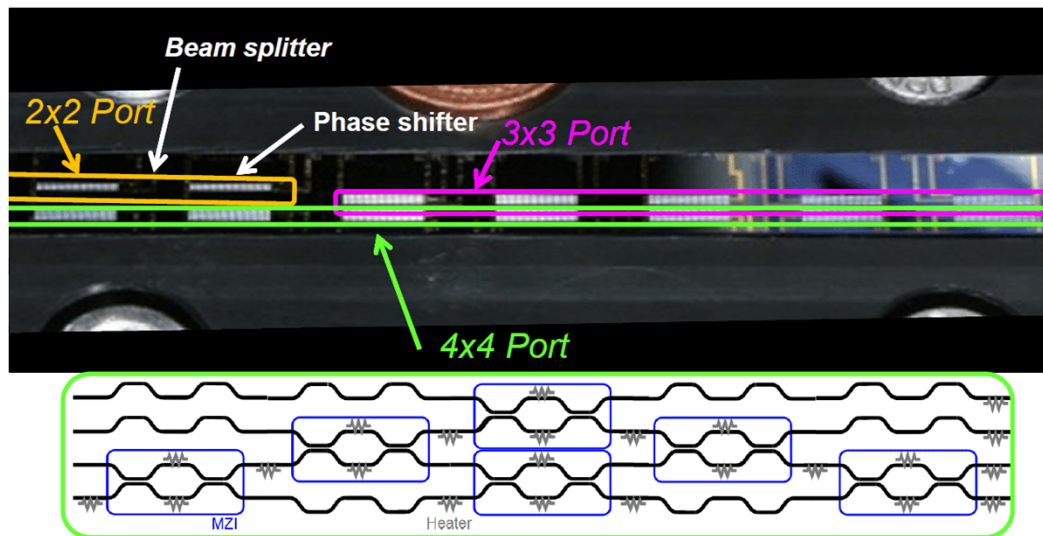


$$\Delta\tilde{\varphi} \geq \frac{\sqrt{1-\eta^2}}{\eta} \frac{1}{\sqrt{N}}$$

- Quantum simulation
 - bosonic – fermionic evolution with random walk in 3D-waveguides

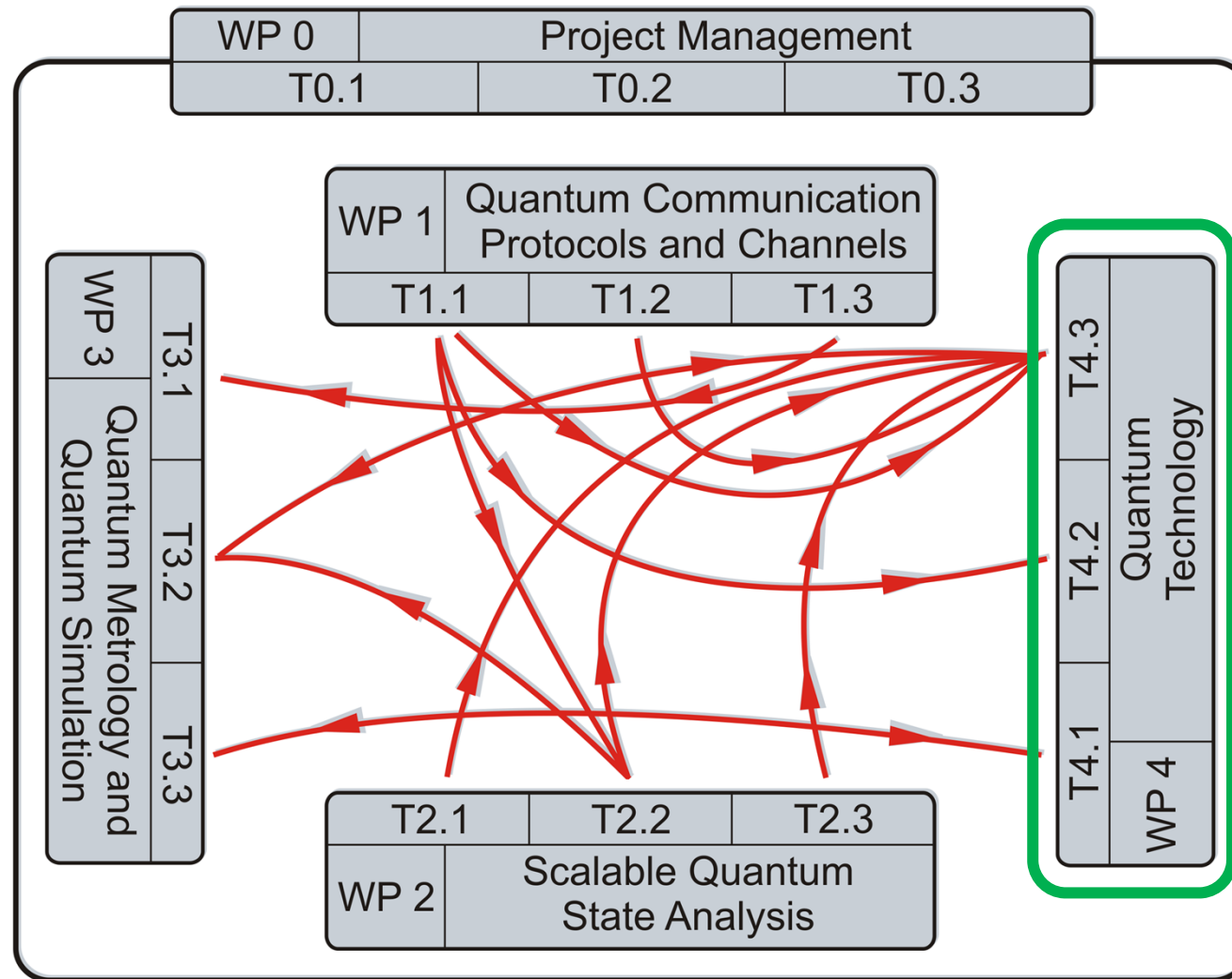


- Quantum simulation
 - quantum chemistry
 - photonic valence bond states



WP4 Quantum Technology

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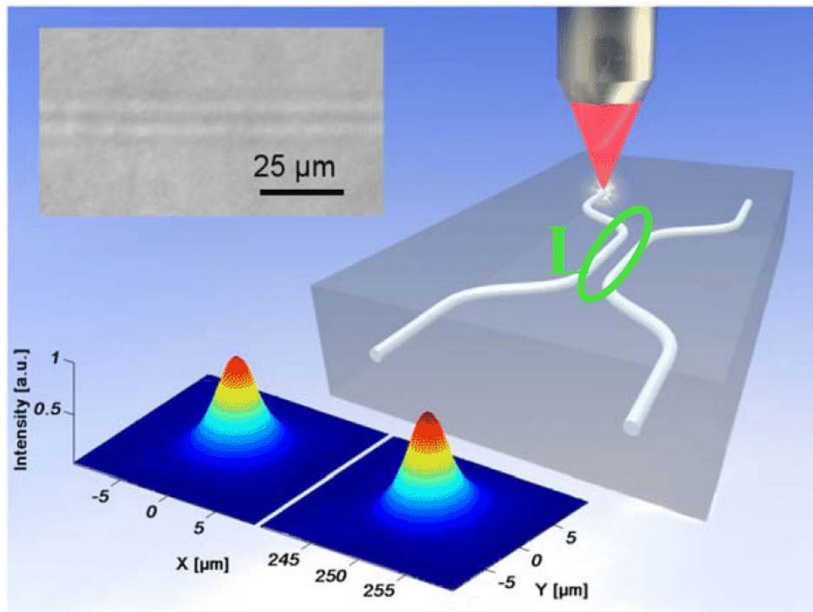
develop new technologies

micro- waveguide- adaptic optics

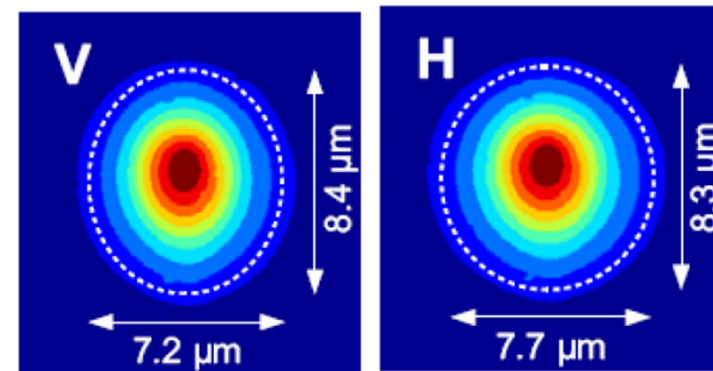
(UNIROMA1, UWAW, OEAW, LMU, OPTOTEC)

- integrated quantum optics
- adaptive optics for long-distance quantum communication to moving observers

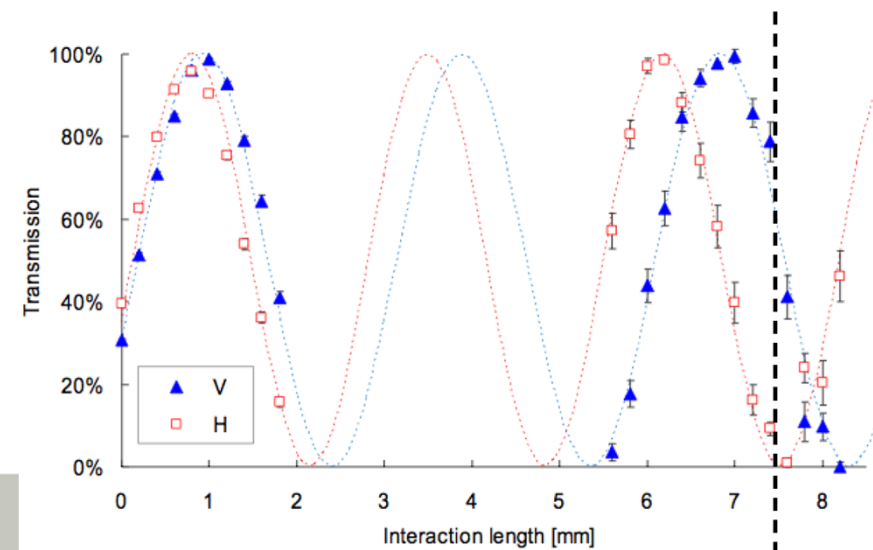
- wave guides by fs-laser writing



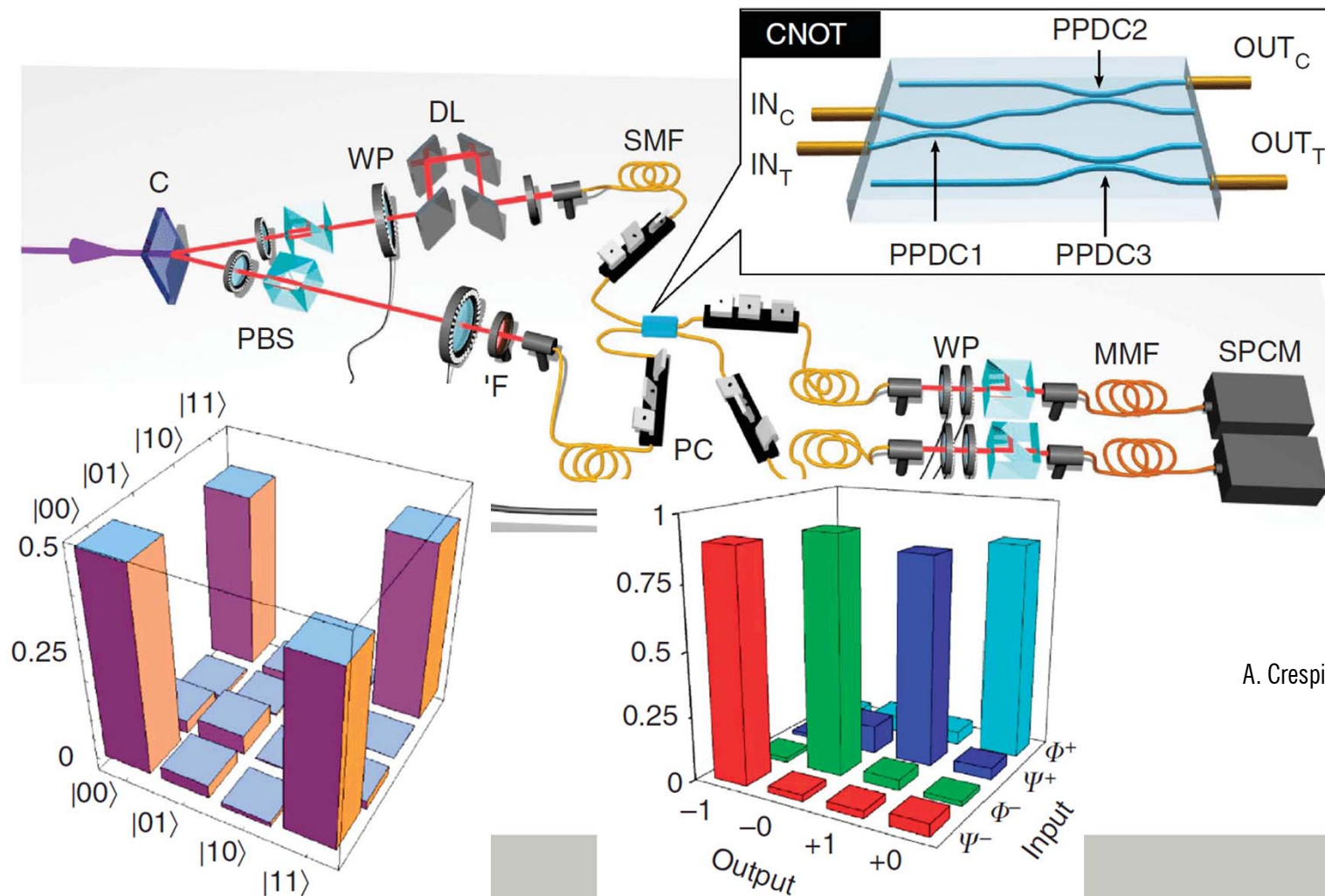
polarisation anisotropy



polarisation components!



- waveguide structure for quantum logic



A. Crespi et al., Nature Comm. 2, 556 (2011)

